

# Sensitivity, Specificity, and Predictive Values of Diagnostic and Screening Tests

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# Key Terms

- Primary prevention
- Secondary prevention
- Sensitivity
- Specificity
- Cutoff point
- Positive predictive value
- Negative predictive value
- Prior probability

# Primary and Secondary Prevention

## Primary Prevention:

Reduction of risk (Behavior change, alteration of environmental risk, prophylaxis, etc.)

## Secondary Prevention:

Early detection of disease in the sub clinical stages (screening tests, periodic health exams, etc.)

## Tertiary Prevention

Treatment of clinically apparent Disease to reduce complications

# Screening

- the use of laboratory testing on asymptomatic persons to detect diseases whose morbidity and mortality can be reduced by early detection and treatment
- **Characteristics of diseases suitable for screening:**
  - ◆ Common enough to justify the effort
  - ◆ Significant morbidity if untreated
  - ◆ Effective therapy is available
  - ◆ Treatment in the asymptomatic phase provides benefits over treatment in early symptomatic phase
- **Characteristics of suitable screening tests:**
  - ◆ Low cost and low risk
  - ◆ Patient acceptability
  - ◆ Test should be abnormal in almost all patients who have disease (good sensitivity)

# Four Possible Test Outcomes

	<b>Disease</b>	<b>No Disease</b>
<b>Test Positive</b>	True Positives (TP)	False Positive (FP)
<b>Test Negative</b>	False Negatives (FN)	True Negatives (TN)

# Test Sensitivity

The probability that a test will be positive in a patient with disease  
(true positive rate)

$$\frac{TP}{TP + FN}$$

# CA-125 Protein as a Marker for Ovarian Cancer

	Disease	No Disease
Test Positive	101	310
Test Negative	9	1540

# CA-125 Protein as a Marker for Ovarian Cancer

$$\frac{\text{TP}}{\text{TP} + \text{FN}}$$

$$\frac{101}{101 + 9}$$

$$.92 = 92\% \text{ sensitivity}$$

# Sensitivity

- A sensitive test is usually positive when disease is present (few false negatives)
- When many patients with disease have a negative test (false negatives) the sensitivity decreases. The test's utility as a screening test is diminished because the test fails to identify asymptomatic patients

# Test Specificity

The probability that a test will be negative in a patient without disease  
(true negative rate)

$$\frac{\text{TN}}{\text{TN} + \text{FP}}$$

# CA-125 Protein as a Marker for Ovarian Cancer

	Disease	No Disease
Test Positive	101	310
Test Negative	9	1540

# CA-125 Protein as a Marker for Ovarian Cancer

$$\frac{\text{TN}}{\text{TN} + \text{FP}}$$

$$\frac{1540}{1540 + 310}$$

$$.83 = 83\% \text{ specificity}$$

# Specificity

- A specific test is usually negative in disease free patients (few false positives)
- When many disease free patients have a positive test (false positives), the specificity decreases. The test's utility as a screening test may diminish because it results in too many needless work-ups.

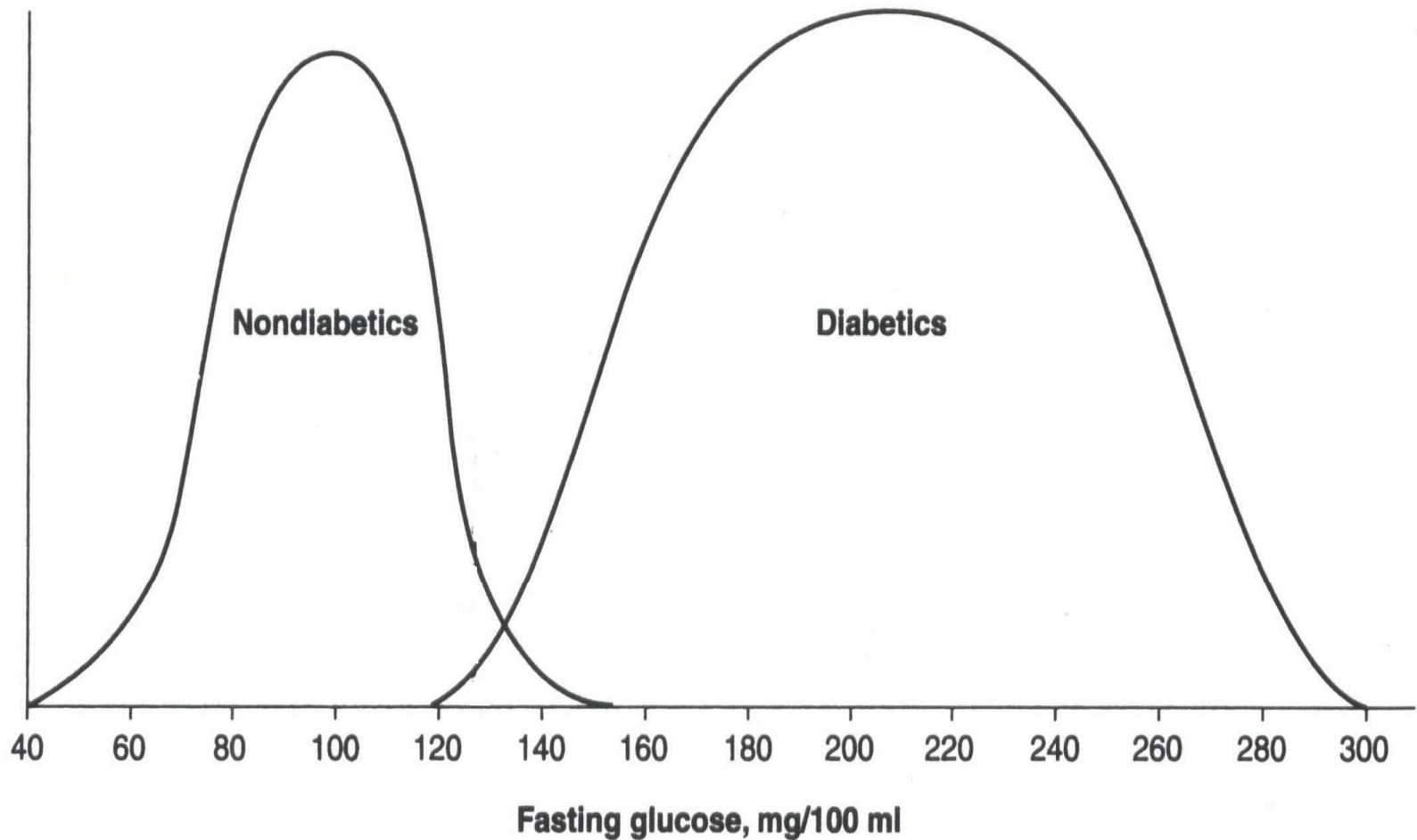
# Cutoff Points

- How is the threshold for a positive test established?
- Does this have an effect on the sensitivity and specificity of the test?

# Cutoff Points

- How is the threshold for a positive test established?
- The ideal test would have 100% sensitivity and 100% specificity (no false negatives and no false positives). In such a situation the cutoff point (value above or below which a test is considered abnormal or positive) would be easily assigned. However, there is usually some overlap between results in a population with disease and a population without disease and choosing a cutoff point is not always readily apparent

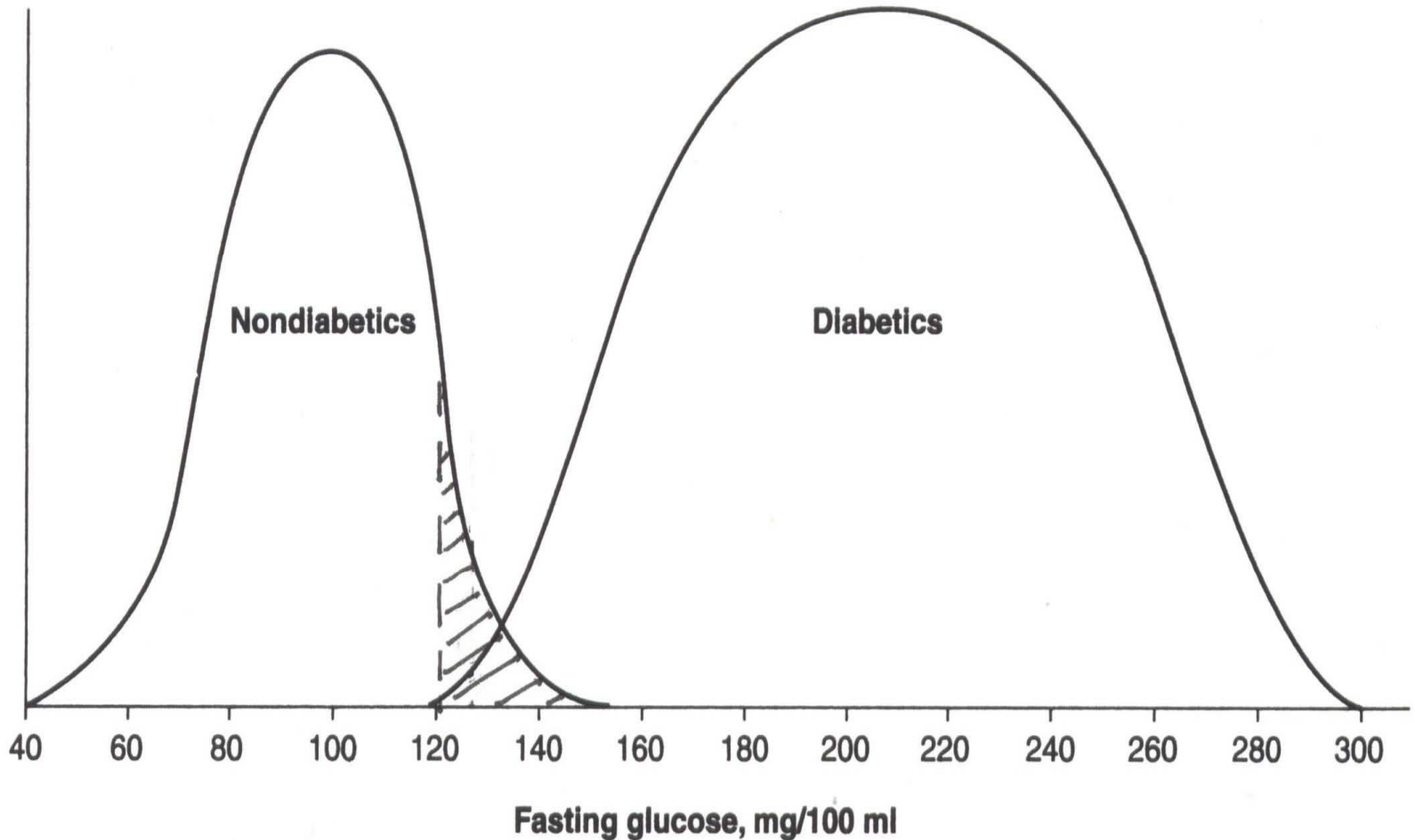
# Choosing a Cutoff Point



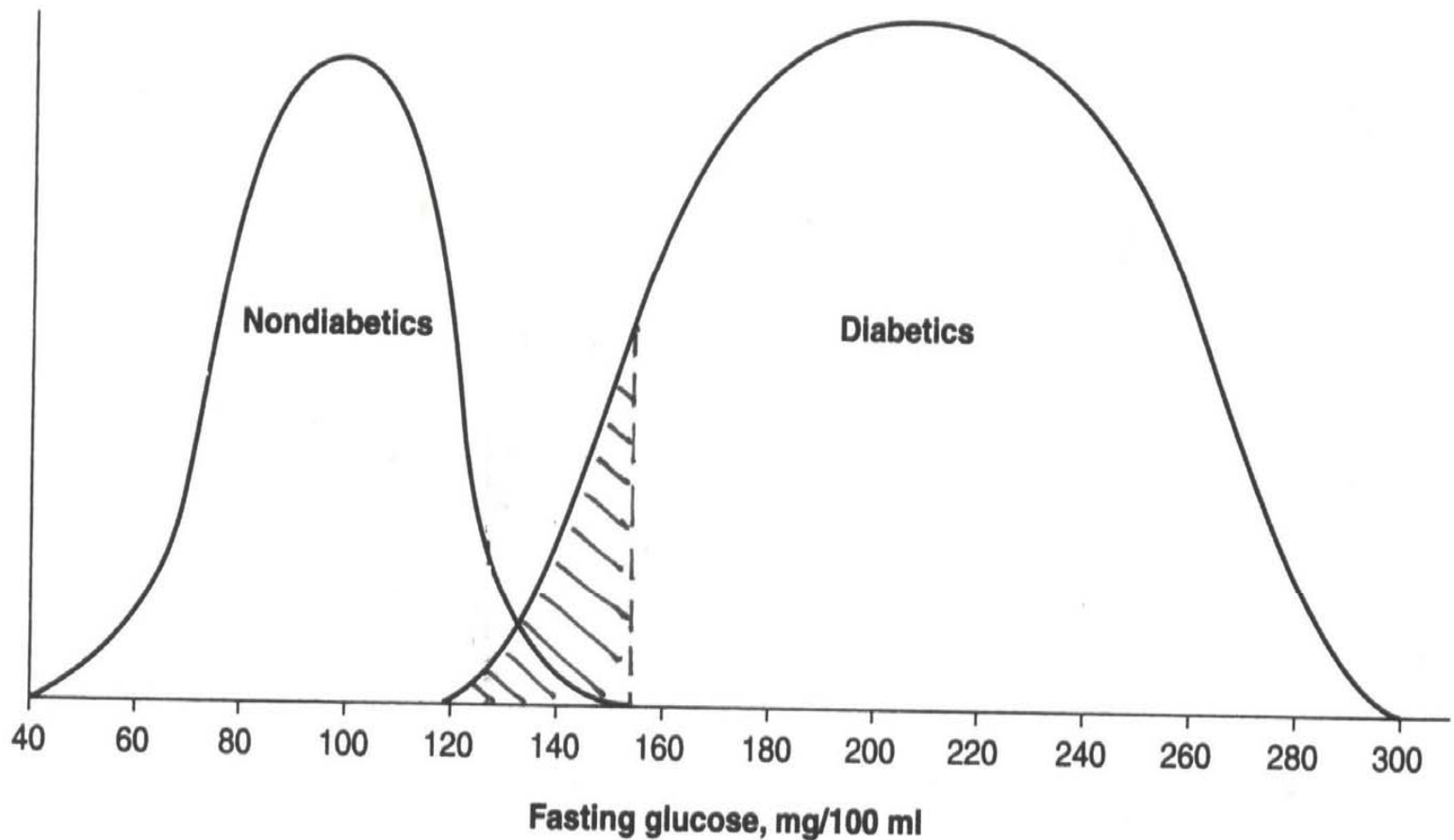
# Cut Off Points

- In most cases the cutoff point is such that some patients with disease have a negative test (false negatives - sensitivity is compromised) and some patients without disease have a positive test (false positives - specificity is compromised). In general, raising the cutoff point to make a test more specific will reduce the sensitivity (increase the false negatives). Likewise, lowering the cutoff point to make the test more sensitive will reduce specificity (increase the false positives).

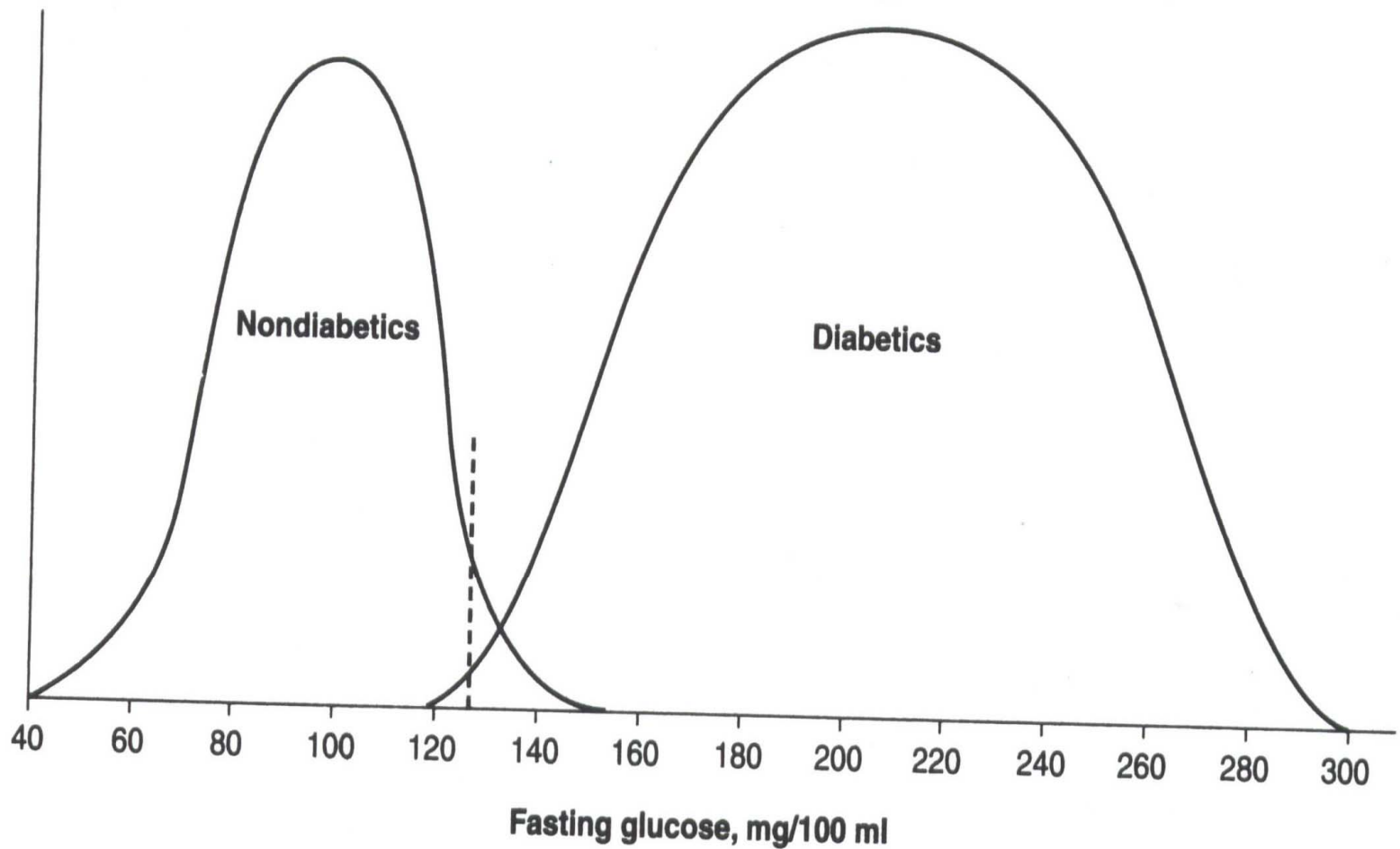
# Effect of a Cutoff Point on Sensitivity and Specificity



# Effect of a Cutoff Point on Sensitivity and Specificity



# Choosing a Cutoff Point



# Sensitivity and specificity versus predictive values

- Sensitivity and specificity are intrinsic characteristics of a test and do not change regardless of the patient or population being tested.
- The correct interpretation (predictive value) of a positive or negative test will vary depending on the particular patient or population being tested.
- The task of the clinician is to determine the likelihood of disease given a positive test (positive predictive value), or the likelihood that disease is not present given a negative test (negative predictive value). Therefore, clinicians must understand the concept of predictive values.

# Positive Predictive Value (PPV)

The probability that a patient with a positive test actually has disease

$$\frac{\text{TP}}{\text{TP} + \text{FP}}$$

# Positive Predictive Value (PPV)

$$\frac{\text{TP}}{\text{TP} + \text{FP}}$$

A test with higher specificity (fewer false positives) will have a higher PPV in a given population

For any given test, as disease prevalence in the population being tested increases, the PPV of that test will also increase

**Test with 90% Sensitivity and 90% Specificity**  
**Population with Disease Prevalence of 1%**  
**PPV = .08 (8%)**

	Disease	No Disease
Test Positive	9	99
Test Negative	1	891

**Test with 90% Sensitivity and 90% Specificity**  
**Population with Disease Prevalence of 10%**  
**PPV = .5 (50%)**

	Disease	No Disease
Test Positive	90	90
Test Negative	10	810

**Test with 90% Sensitivity and 90% Specificity**  
**Population with Disease Prevalence of 50%**  
**PPV = .9 (90%)**

	Disease	No Disease
Test Positive	450	50
Test Negative	50	450

# Negative Predictive Value (NPV)

$$\frac{\text{TN}}{\text{TN} + \text{FN}}$$

A test with higher sensitivity (fewer false negatives) will have a higher NPV in a given population

For a given test, as disease prevalence in the population being tested decreases, the NPV of that test will increase

# Prior Probability

(Pre-test probability; Bayes Theorem)

A given test will have a higher positive predictive value in those patients with a higher prior probability of disease

# Positive Exercise Treadmill Test (ETT) as an Indicator of Coronary Heart Disease

	<b>Disease</b>	<b>No Disease</b>
<b>Test Positive</b>	90	245
<b>Test Negative</b>	31	982

# Positive Exercise Treadmill Test (ETT) as an Indicator of Coronary Heart Disease

$$\frac{\text{TP}}{\text{TP} + \text{FN}}$$

$$\frac{90}{90 + 31}$$

$$.74 = 74\% \text{ sensitivity}$$

# Positive Exercise Treadmill Test (ETT) as an Indicator of Coronary Heart Disease

	<b>Disease</b>	<b>No Disease</b>
<b>Test Positive</b>	90	245
<b>Test Negative</b>	31	982

# Positive Exercise Treadmill Test (ETT) as an Indicator of Coronary Heart Disease

$$\frac{\text{TN}}{\text{TN} + \text{FP}}$$

$$\frac{982}{982+245}$$

.80 = 80% specificity

# Clinical Aside: “Classic Findings”

**Q:** What is the classic history in a patient with the acute coronary syndrome?

**A:** Crushing, retrosternal chest pain that radiates to the jaw or shoulder, associated with nausea and diaphoresis

**Q:** What do we really mean by ‘classic’?

**A:** In most cases, we mean specific, not sensitive

# Effects on Predictive Value

If:

Then:

Prevalence increases  
(Prior probability)

PPV increases; NPV decreases

Prevalence decreases

PPV decreases; NPV increases

Specificity increases

PPV increases

Sensitivity increases

NPV increases